

Fig. 1

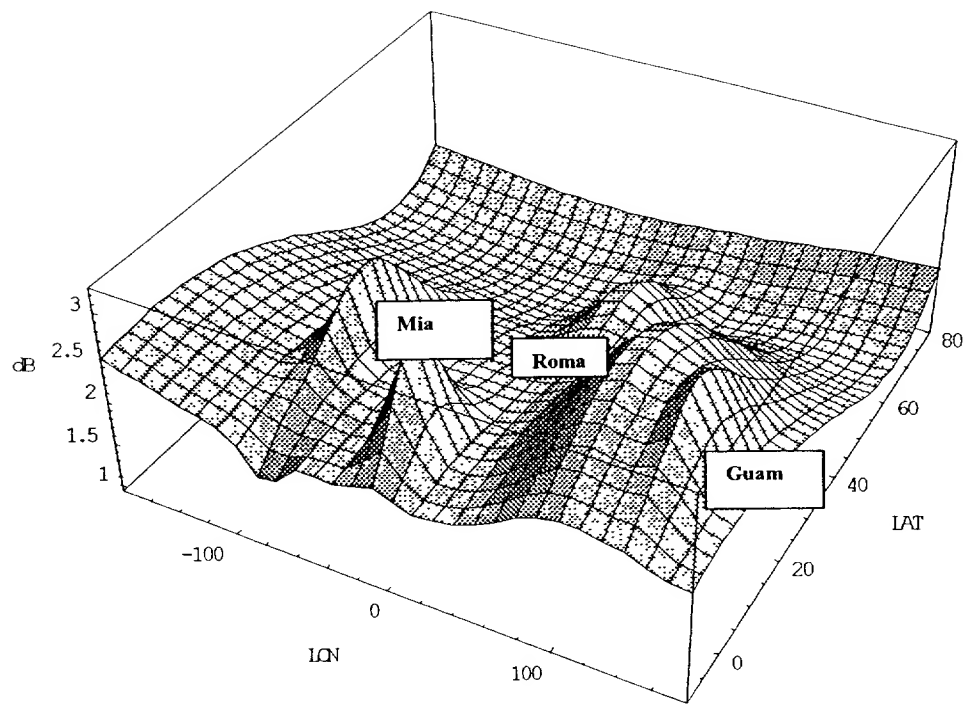


Fig. 2

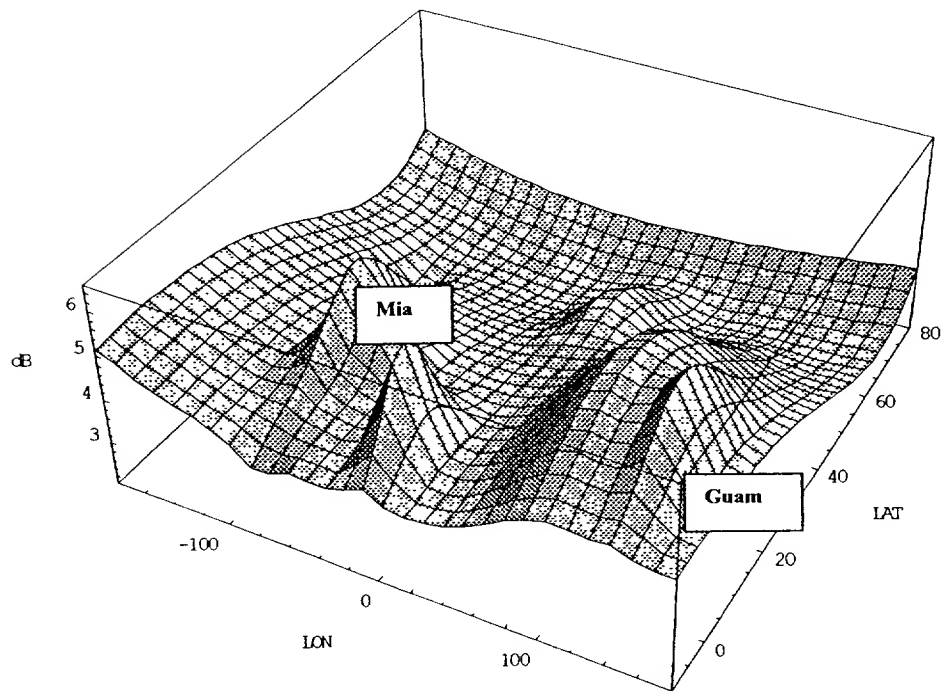


Fig. 3

**Short Form Global Equation for Non Rainy Zenith Attenuation (dB),  
For the 6-100 GHz Region; fg=Frequency, GHz**

LIEBE azen=

$$\begin{aligned}
 &0.000408122fg^2 \left( 5.34566 + 1.48098E^{-\frac{1}{200}(-10+LAT)^2 - \frac{1}{200}(-14+LON)^2} + 2.03295E^{-\frac{1}{800}(-18+LAT)^2 - \frac{1}{1800}(-102+LON)^2} + \right. \\
 &1.1968E^{-\frac{1}{200}(-52+LAT)^2 - \frac{1}{800}(-28+LON)^2} - 2.78685E^{-\frac{LAT^2}{1800} - \frac{LON^2}{180000}} + 2.48024E^{-\frac{1}{72}(-2+LAT)^2 - \frac{1}{200}(-7+LON)^2} + \\
 &1.41803E^{-\frac{1}{50}(-20+LAT)^2 - \frac{1}{200}(-60+LON)^2} - 2.26449E^{-\frac{1}{200}(-28+LAT)^2 - \frac{1}{200}(-77+LON)^2} + \\
 &1.69839E^{-\frac{1}{200}(-20+LAT)^2 - \frac{1}{128}(-82+LON)^2} + 0.000898808 LAT - 0.00187405 LAT^2 + 8.15535 \times 10^{-7} LAT^3 + \\
 &1.92203 \times 10^{-7} LAT^4 - 0.000690105 LON - 5.83206 \times 10^{-6} LAT LON + 3.42574 \times 10^{-7} LAT^2 LON + \\
 &0.0000243378 LON^2 + 1.15354 \times 10^{-8} LAT LON^2 - 3.5046 \times 10^{-8} LON^3 - 6.44437 \times 10^{-11} LON^4 \Big) + \\
 &0.00586939 fg^2 \left( 3.14686 + 0.665394E^{-\frac{1}{200}(-10+LAT)^2 - \frac{1}{200}(-14+LON)^2} + \right. \\
 &1.1188E^{-\frac{1}{800}(-18+LAT)^2 - \frac{1}{1800}(-102+LON)^2} + 0.716478E^{-\frac{1}{200}(-52+LAT)^2 - \frac{1}{800}(-28+LON)^2} + \\
 &1.18012E^{-\frac{LAT^2}{1800} - \frac{LON^2}{180000}} + 1.21591E^{-\frac{1}{72}(-2+LAT)^2 - \frac{1}{200}(-7+LON)^2} - 1.89544E^{-\frac{1}{200}(-28+LAT)^2 - \frac{1}{200}(-77+LON)^2} + \\
 &0.8941E^{-\frac{1}{200}(-20+LAT)^2 - \frac{1}{128}(-82+LON)^2} + 0.00101461 LAT - 0.000943554 LAT^2 + 2.75301 \times 10^{-7} LAT^3 + \\
 &1.00142 \times 10^{-7} LAT^4 - 0.000268921 LON - 1.63982 \times 10^{-6} LAT LON + 2.33496 \times 10^{-7} LAT^2 LON + \\
 &0.0000108872 LON^2 + 1.02349 \times 10^{-8} LAT LON^2 - 1.77808 \times 10^{-8} LON^3 - 1.11299 \times 10^{-10} LON^4 - \\
 &0.201139 \left( 5.34566 + 1.48098E^{-\frac{1}{200}(-10+LAT)^2 - \frac{1}{200}(-14+LON)^2} + 2.03295E^{-\frac{1}{800}(-18+LAT)^2 - \frac{1}{1800}(-102+LON)^2} + \right. \\
 &1.1968E^{-\frac{1}{200}(-52+LAT)^2 - \frac{1}{800}(-28+LON)^2} - 2.78685E^{-\frac{LAT^2}{1800} - \frac{LON^2}{180000}} + 2.48024E^{-\frac{1}{72}(-2+LAT)^2 - \frac{1}{200}(-7+LON)^2} + \\
 &1.41803E^{-\frac{1}{50}(-20+LAT)^2 - \frac{1}{200}(-60+LON)^2} - 2.26449E^{-\frac{1}{200}(-28+LAT)^2 - \frac{1}{200}(-77+LON)^2} + \\
 &1.69839E^{-\frac{1}{200}(-20+LAT)^2 - \frac{1}{128}(-82+LON)^2} + 0.000898808 LAT - 0.00187405 LAT^2 + 8.15535 \times 10^{-7} LAT^3 + \\
 &1.92203 \times 10^{-7} LAT^4 - 0.000690105 LON - 5.83206 \times 10^{-6} LAT LON + 3.42574 \times 10^{-7} LAT^2 LON + \\
 &0.0000243378 LON^2 + 1.15354 \times 10^{-8} LAT LON^2 - 3.5046 \times 10^{-8} LON^3 - 6.44437 \times 10^{-11} LON^4 \Big) \Big) \\
 &\left( 0.665418 - 132.118 \left( -0.740741 + 0.0333667 fg \right)^2 \right. \\
 &\left( 0.999375 - 11.4943 \sqrt{\left( -0.740741 + 0.0333667 fg \right)^2} \text{ArcTan} \left[ \sqrt{\frac{0.0869456}{(-0.740741 + 0.0333667 fg)^2}} \right] \right) - \\
 &132.118 \left( 0.740741 + 0.0333667 fg \right)^2 \\
 &\left( 0.999375 - 11.4943 \sqrt{\left( 0.740741 + 0.0333667 fg \right)^2} \text{ArcTan} \left[ \sqrt{\frac{0.0869456}{(0.740741 + 0.0333667 fg)^2}} \right] \right) \Big) - \\
 &0.00392386 fg^2 \left( 18.2482 \left( \text{Log} \left[ \frac{(2 - 0.0333667 fg)^2}{0.000749822 + (2 - 0.0333667 fg)^2} \right] + \right. \right. \\
 &\text{Log} \left[ \frac{(3.959999999999999 - 0.0333667 fg)^2}{0.000187456 + (3.959999999999999 - 0.0333667 fg)^2} \right] + \\
 &\text{Log} \left[ \frac{(61 - 0.0333667 fg)^2}{0.000187456 + (61 - 0.0333667 fg)^2} \right] + \text{Log} \left[ \frac{(2 + 0.0333667 fg)^2}{0.000749822 + (2 + 0.0333667 fg)^2} \right] + \\
 &\text{Log} \left[ \frac{(3.959999999999999 + 0.0333667 fg)^2}{0.000187456 + (3.959999999999999 + 0.0333667 fg)^2} \right] + \\
 &\left. \left. \text{Log} \left[ \frac{(61 + 0.0333667 fg)^2}{0.000187456 + (61 + 0.0333667 fg)^2} \right] \right) \right) + \\
 &27.7778 \text{Log} \left[ \frac{0.00111334 fg^2}{0.000323595 + 0.00111334 fg^2} \right] \Big)
 \end{aligned}$$

Fig. 4

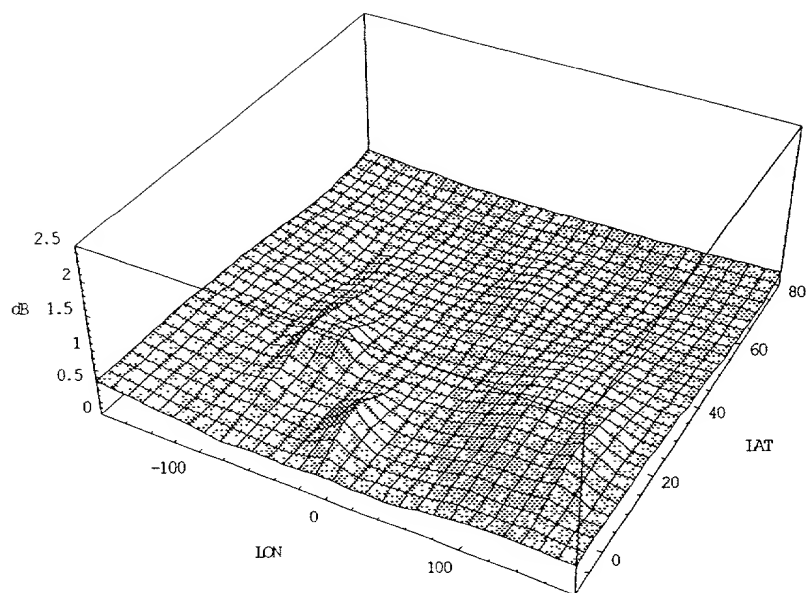


Fig. 5

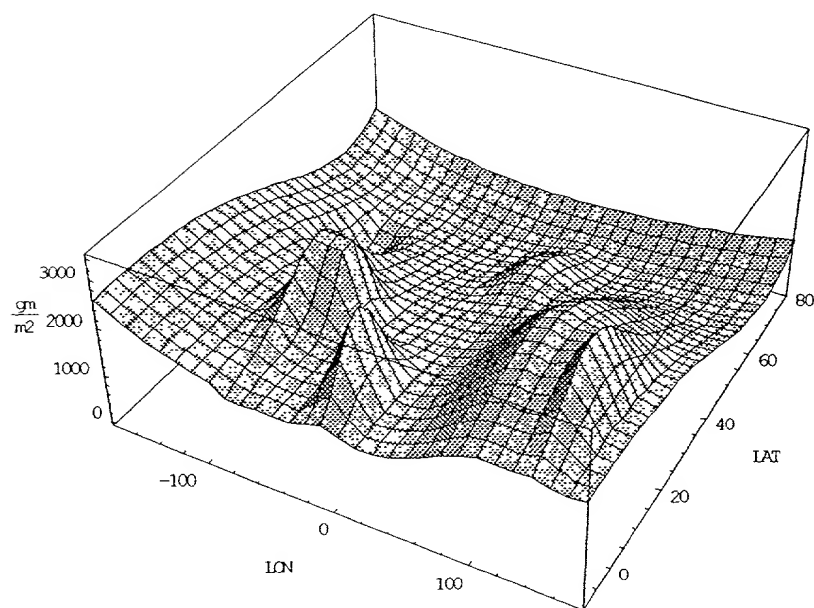


Fig. 6

$$(1.(-0.139753(1.79394 \times 10^{-7} \text{LAT}^4 + 8.75845 \times 10^{-7} \text{LAT}^3 + 3.25314 \times 10^{-7} \text{LONLAT}^2 - 0.00176137 \text{LAT}^2 + 3.07508 \times 10^{-9} \text{LON}^2 \text{LAT} - 6.69472 \times 10^{-6} \text{LONLAT} + 0.000919687$$

$$\text{LAT} + 1.49573e^{-\frac{1}{200}(\text{LAT})^2 - \frac{1}{200}(\text{LON-145})^2} + 2.04653e^{-\frac{1}{800}(\text{LAT-18})^2 - \frac{(\text{LON-102})^2}{1800}} + 1.16178e^{-\frac{1}{200}(\text{LAT-52})^2 - \frac{1}{800}(\text{LON-28})^2} - 2.51927e^{-\frac{\text{LAT}^2}{1800} - \frac{\text{LON}^2}{180000}} +$$

$$2.46395e^{-\frac{1}{72}(\text{LAT-2})^2 - \frac{1}{200}(\text{LON-7})^2} + 1.41489e^{-\frac{1}{50}(\text{LAT-20})^2 - \frac{1}{200}(\text{LON-60})^2} - 2.25769e^{-\frac{1}{200}(\text{LAT-28})^2 - \frac{1}{200}(\text{LON-77})^2} + 1.69814e^{-\frac{1}{200}(\text{LAT-20})^2 - \frac{1}{128}(\text{LON-82})^2} +$$

$$1.07578e^{-\frac{1}{98}(\text{LAT-45})^2 - \frac{1}{128}(\text{LON-110})^2} - 4.24764 \times 10^{-11} \text{LON}^4 - 3.34843 \times 10^{-8} \text{LON}^3 + 0.0000241438 \text{LON}^2 - 0.000725197 \text{LON} + 3.84195) +$$

$$\frac{1}{(293. - 0.25(\text{LAT} - 40))^2} (85849.(0.139753(1.79394 \times 10^{-7} \text{LAT}^4 + 8.75845 \times 10^{-7} \text{LAT}^3 + 3.25314 \times 10^{-7} \text{LONLAT}^2 - 0.00176137 \text{LAT}^2 +$$

$$3.07508 \times 10^{-9} \text{LON}^2 \text{LAT} - 6.69472 \times 10^{-6} \text{LONLAT} + 0.000919687 \text{LAT} + 1.49573e^{-\frac{1}{200}(\text{LAT})^2 - \frac{1}{200}(\text{LON-145})^2} +$$

$$2.04653e^{-\frac{1}{800}(\text{LAT-18})^2 - \frac{(\text{LON-102})^2}{1800}} + 1.16178e^{-\frac{1}{200}(\text{LAT-52})^2 - \frac{1}{800}(\text{LON-28})^2} - 2.51927e^{-\frac{\text{LAT}^2}{1800} - \frac{\text{LON}^2}{180000}} + 2.46395e^{-\frac{1}{72}(\text{LAT-2})^2 - \frac{1}{200}(\text{LON-7})^2} +$$

$$1.41489e^{-\frac{1}{50}(\text{LAT-20})^2 - \frac{1}{200}(\text{LON-60})^2} - 2.25769e^{-\frac{1}{200}(\text{LAT-28})^2 - \frac{1}{200}(\text{LON-77})^2} + 1.69814e^{-\frac{1}{200}(\text{LAT-20})^2 - \frac{1}{128}(\text{LON-82})^2} +$$

$$1.07578e^{-\frac{1}{98}(\text{LAT-45})^2 - \frac{1}{128}(\text{LON-110})^2} - 4.24764 \times 10^{-11} \text{LON}^4 - 3.34843 \times 10^{-8} \text{LON}^3 + 0.0000241438 \text{LON}^2 - 0.000725197 \text{LON} + 3.84195) +$$

$$1.01966))$$

$$(0.186801(1.79394 \times 10^{-7} \text{LAT}^4 + 8.75845 \times 10^{-7} \text{LAT}^3 + 3.25314 \times 10^{-7} \text{LONLAT}^2 - 0.00176137 \text{LAT}^2 + 3.07508 \times 10^{-9} \text{LON}^2 \text{LAT} -$$

$$- 6.69472 \times 10^{-6} \text{LONLAT} + 0.000919687 \text{LAT} + 1.49573e^{-\frac{1}{200}(\text{LAT})^2 - \frac{1}{200}(\text{LON-145})^2} + 2.04653e^{-\frac{1}{800}(\text{LAT-18})^2 - \frac{(\text{LON-102})^2}{1800}} +$$

$$1.16178e^{-\frac{1}{200}(\text{LAT-52})^2 - \frac{1}{800}(\text{LON-28})^2} - 2.51927e^{-\frac{\text{LAT}^2}{1800} - \frac{\text{LON}^2}{180000}} + 2.46395e^{-\frac{1}{72}(\text{LAT-2})^2 - \frac{1}{200}(\text{LON-7})^2} + 1.41489e^{-\frac{1}{50}(\text{LAT-20})^2 - \frac{1}{200}(\text{LON-60})^2} -$$

$$2.25769e^{-\frac{1}{200}(\text{LAT-28})^2 - \frac{1}{200}(\text{LON-77})^2} + 1.69814e^{-\frac{1}{200}(\text{LAT-20})^2 - \frac{1}{128}(\text{LON-82})^2} + 1.07578e^{-\frac{1}{98}(\text{LAT-45})^2 - \frac{1}{128}(\text{LON-110})^2} -$$

$$4.24764 \times 10^{-11} \text{LON}^4 - 3.34843 \times 10^{-8} \text{LON}^3 + 0.0000241438 \text{LON}^2 - 0.000725197 \text{LON} + 3.84195) + 0.332309) \log(\text{PR}) - 0.919661) -$$

$$0.764706(-0.352549(1.03045 \times 10^{-7} \text{LAT}^4 + 2.23192 \times 10^{-7} \text{LAT}^3 + 2.44557 \times 10^{-7} \text{LONLAT}^2 - 0.000975417 \text{LAT}^2 + 1.0003 \times 10^{-8} \text{LON}^2 \text{LAT} - 2.18586 \times 10^{-6} \text{LONLAT} +$$

$$0.00128521 \text{LAT} + 0.66746e^{-\frac{1}{200}(\text{LAT})^2 - \frac{1}{200}(\text{LON-145})^2} + 1.12036e^{-\frac{1}{800}(\text{LAT-18})^2 - \frac{(\text{LON-102})^2}{1800}} + 0.70296e^{-\frac{1}{200}(\text{LAT-52})^2 - \frac{1}{800}(\text{LON-28})^2} - 1.28258e^{-\frac{\text{LAT}^2}{1800} - \frac{\text{LON}^2}{180000}} +$$

$$1.22726e^{-\frac{1}{72}(\text{LAT-2})^2 - \frac{1}{200}(\text{LON-7})^2} - 1.92779e^{-\frac{1}{200}(\text{LAT-28})^2 - \frac{1}{200}(\text{LON-77})^2} + 0.865964e^{-\frac{1}{200}(\text{LAT-20})^2 - \frac{1}{128}(\text{LON-82})^2} -$$

$$0.0909198e^{-\frac{1}{98}(\text{LAT-45})^2 - \frac{1}{128}(\text{LON-110})^2} - 1.36816 \times 10^{-10} \text{LON}^4 - 1.38211 \times 10^{-8} \text{LON}^3 + 0.000011497 \text{LON}^2 - 0.000416968 \text{LON} + 2.53967) +$$

$$(0.140592(1.03045 \times 10^{-7} \text{LAT}^4 + 2.23192 \times 10^{-7} \text{LAT}^3 + 2.44557 \times 10^{-7} \text{LONLAT}^2 - 0.000975417 \text{LAT}^2 + 1.0003 \times 10^{-8} \text{LON}^2 \text{LAT} -$$

$$2.18586 \times 10^{-6} \text{LONLAT} + 0.00128521 \text{LAT} + 0.66746e^{-\frac{1}{200}(\text{LAT})^2 - \frac{1}{200}(\text{LON-145})^2} + 1.12036e^{-\frac{1}{800}(\text{LAT-18})^2 - \frac{(\text{LON-102})^2}{1800}} + 0.70296e^{-\frac{1}{200}(\text{LAT-52})^2 - \frac{1}{800}(\text{LON-28})^2} -$$

$$1.28258e^{-\frac{\text{LAT}^2}{1800} - \frac{\text{LON}^2}{180000}} + 1.22726e^{-\frac{1}{72}(\text{LAT-2})^2 - \frac{1}{200}(\text{LON-7})^2} - 1.92779e^{-\frac{1}{200}(\text{LAT-28})^2 - \frac{1}{200}(\text{LON-77})^2} + 0.865964e^{-\frac{1}{200}(\text{LAT-20})^2 - \frac{1}{128}(\text{LON-82})^2} -$$

$$0.0909198e^{-\frac{1}{98}(\text{LAT-45})^2 - \frac{1}{128}(\text{LON-110})^2} - 1.36816 \times 10^{-10} \text{LON}^4 - 1.38211 \times 10^{-8} \text{LON}^3 + 0.000011497 \text{LON}^2 - 0.000416968 \text{LON} + 2.53967) +$$

$$0.132924) \log(\text{PR}) - 0.0878644))$$

Fig. 7

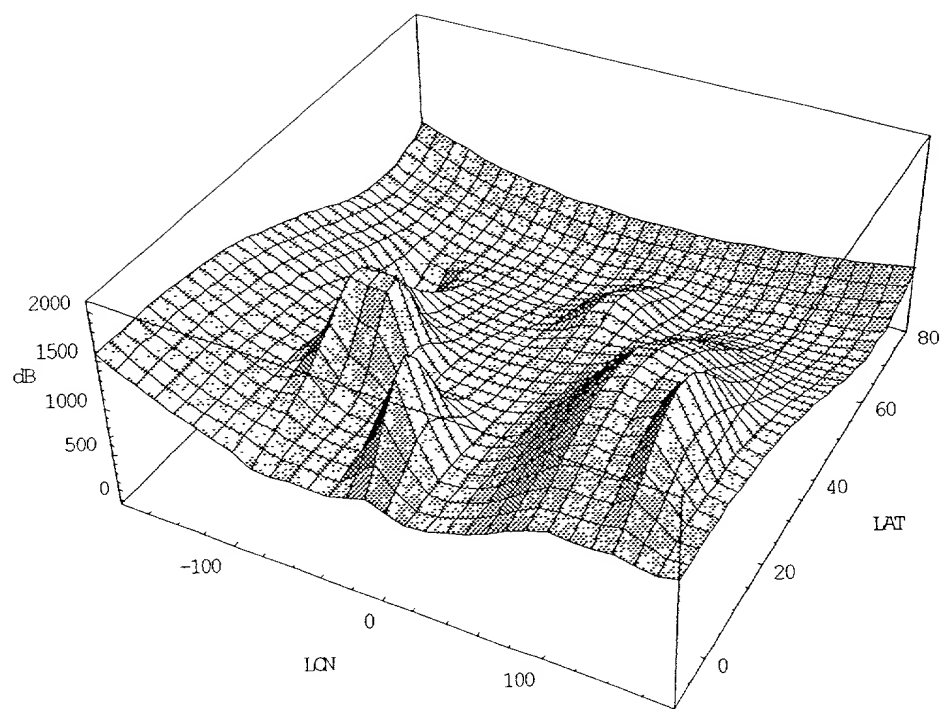


Fig. 8

Figure 9 is a 3D surface plot showing the distribution of a variable (likely precipitation or snowfall) over a geographic area. The vertical axis is labeled  $\frac{gm}{m^2}$  and ranges from 0 to 1500. The horizontal axes are labeled LAT (Latitude) and LON (Longitude). The plot shows a complex, wavy surface with a prominent peak near the center, reaching a value of approximately 1500  $\frac{gm}{m^2}$ . The surface is characterized by a grid of small squares, indicating a discretized data set. The overall shape suggests a localized maximum with varying intensities across the geographic region.

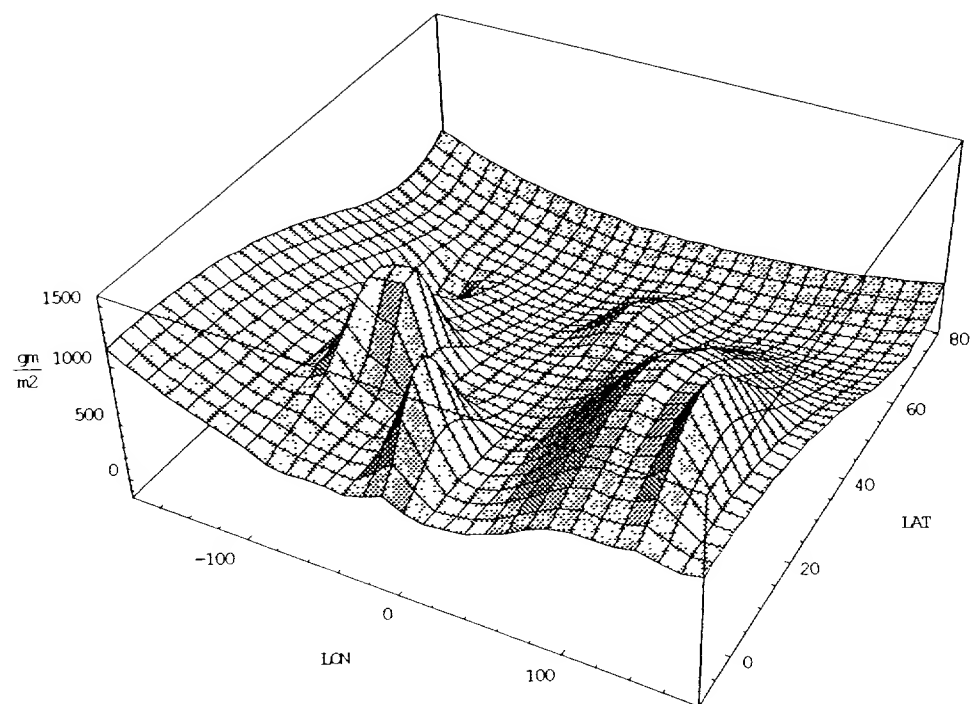


Fig. 9

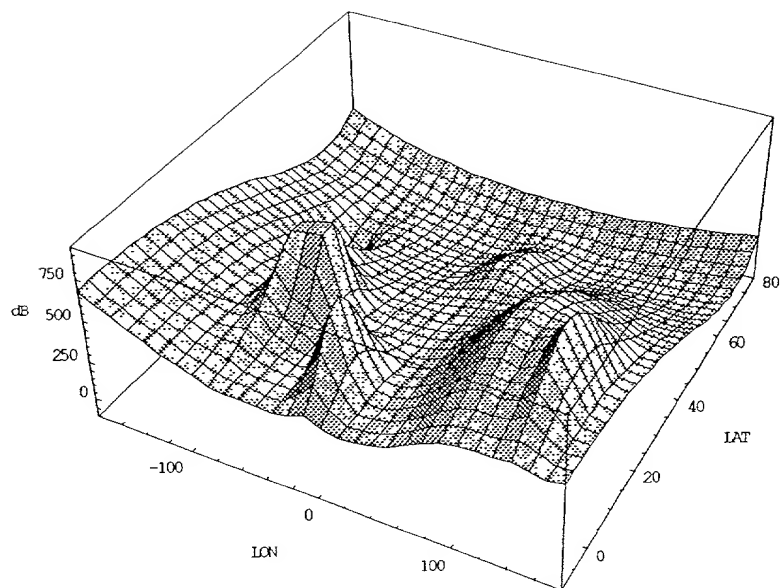


Fig. 10

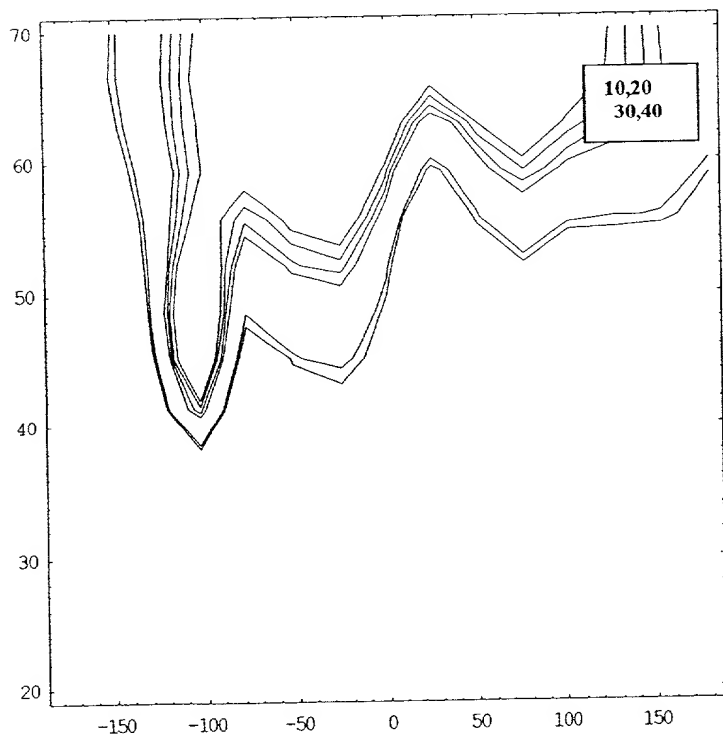


Fig. 11



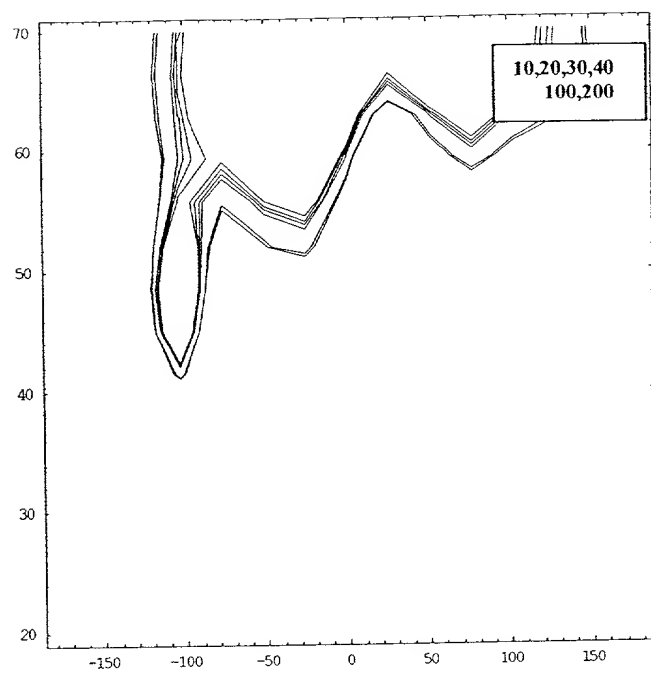


Fig. 12

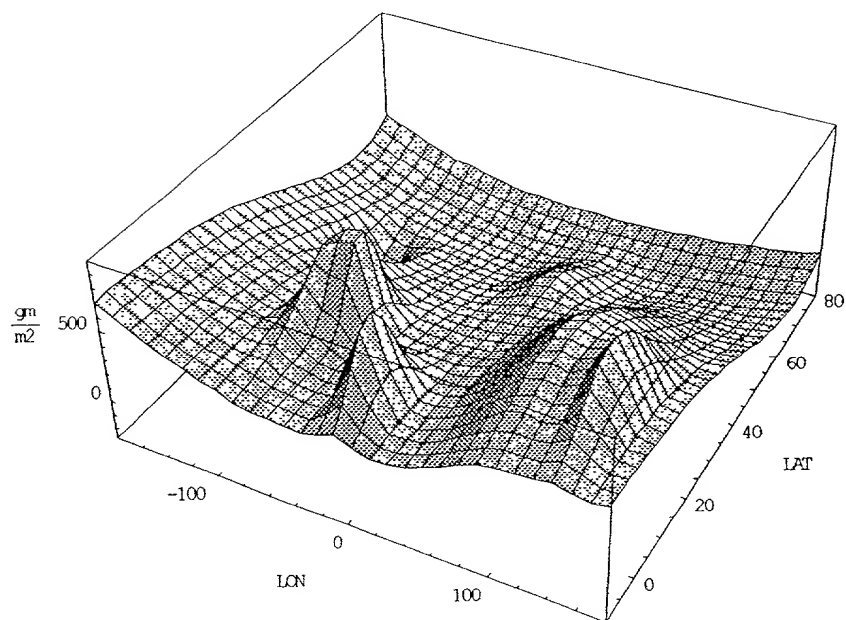


Fig. 13

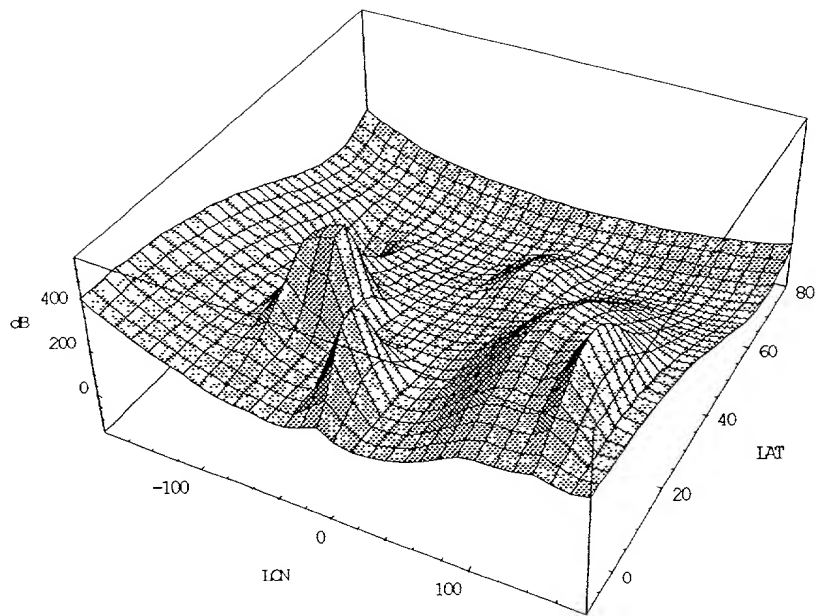


Fig. 14

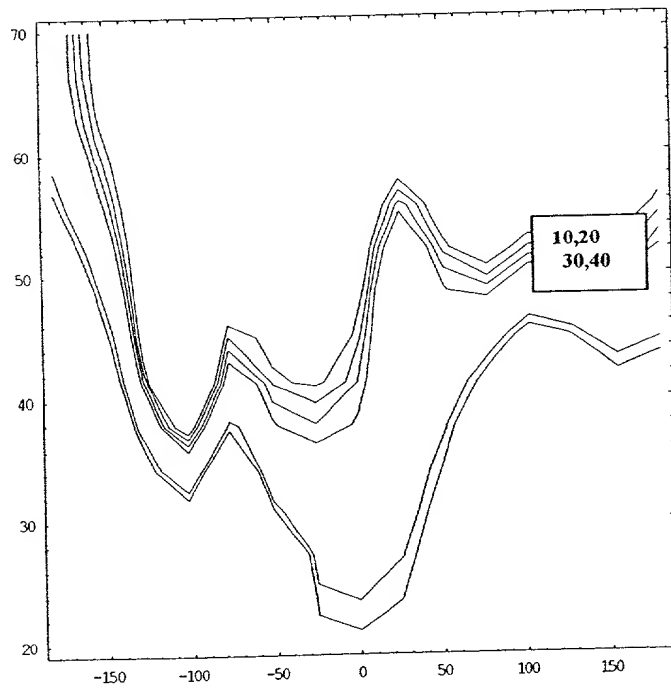


Fig. 15

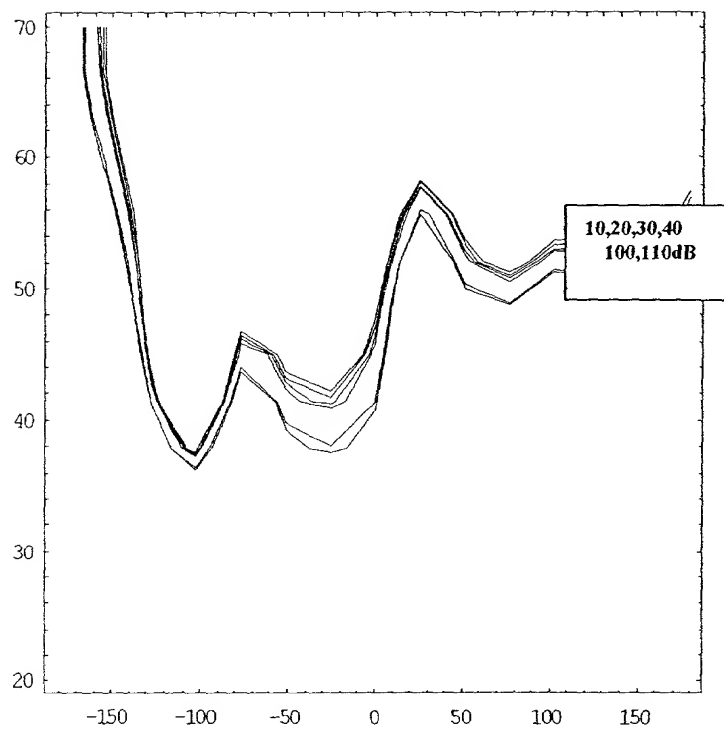


Fig. 16

U.S. GOVERNMENT PRINTING OFFICE

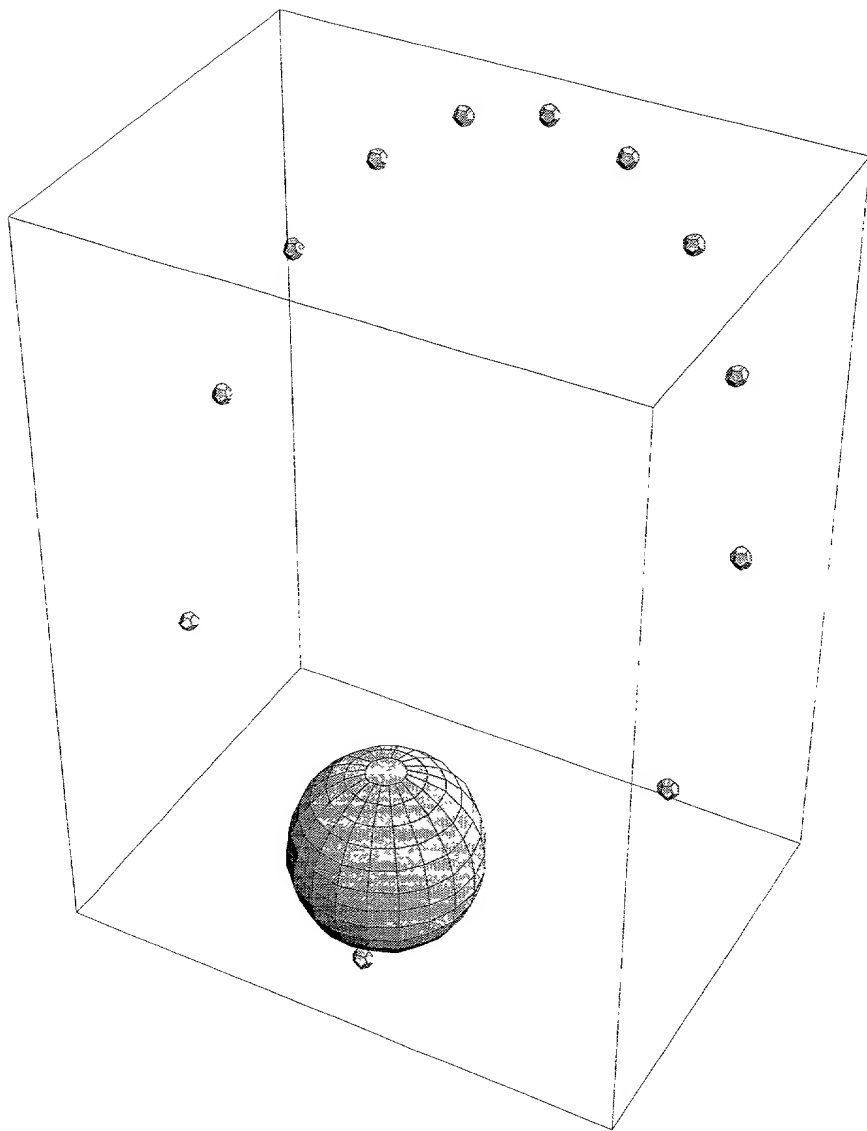


Fig. 17

Molniya seen from Ground Station

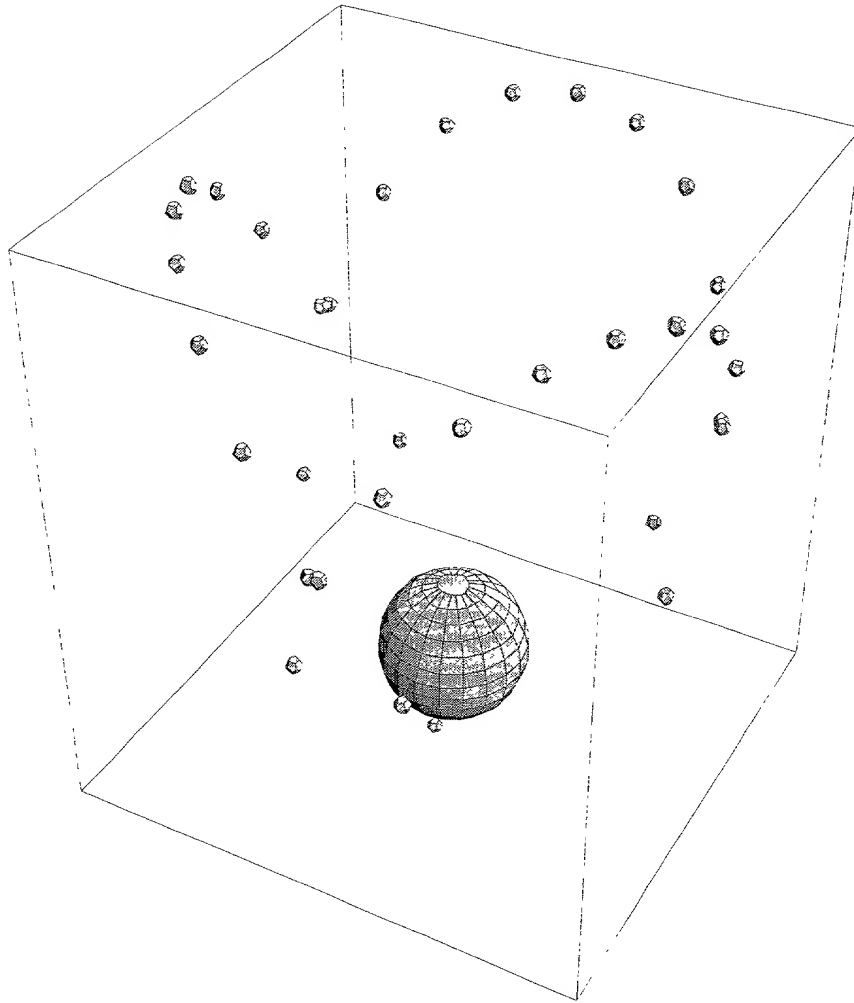


Fig. 18

MolniyaGEO pdf=

$$e^{-\frac{(5.22822 \times 10^{-6} \text{LAT}^4 - 0.000620006 \text{LAT}^3 + 0.00512491 \text{LAT}^2 + 0.165865 \text{LAT} + x - 47.0509)^2}{2 \left( 0.000029238 \text{LAT}^4 - 0.00526509 \text{LAT}^3 + 0.270942 \text{LAT}^2 - 0.776901 \text{LAT} + 181.722 e^{-\frac{\text{LAT}^2}{900} - 160.041} \right)^2}}$$


---


$$\left( 0.000029238 \text{LAT}^4 - 0.00526509 \text{LAT}^3 + 0.270942 \text{LAT}^2 - 0.776901 \text{LAT} + 181.722 e^{-\frac{\text{LAT}^2}{900} - 160.041} \right) \sqrt{2\pi}$$

With x representing elevation angle in degrees

FIG. 20

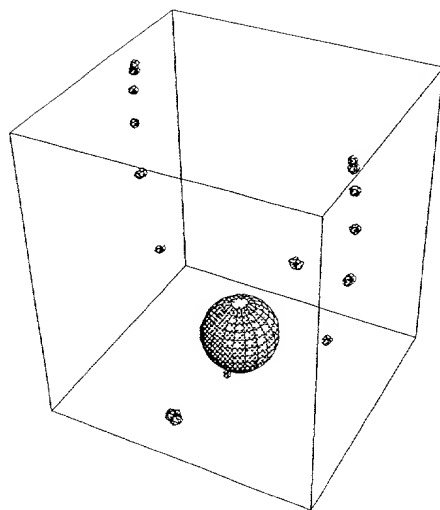


Fig. 20

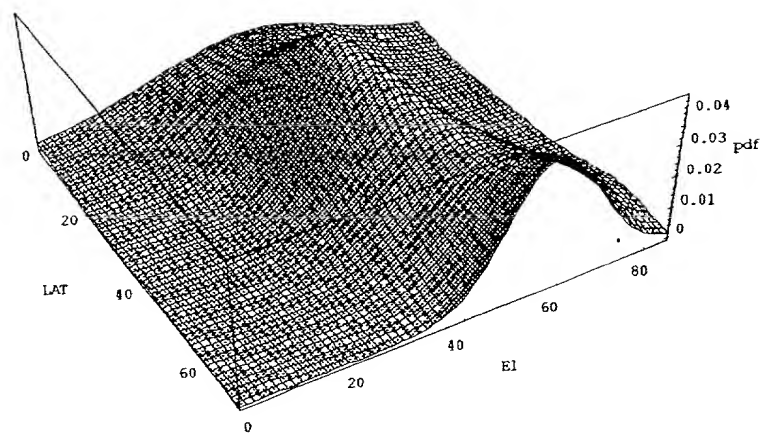


Fig. 21



Figure 22 is a three-dimensional plot of the function  $f(x, y, z)$  defined by the equation  $f(x, y, z) = 100 - x^2 - y^2 - z^2$ . The plot shows a paraboloid opening downwards, with its vertex at the origin (0, 0, 0). The axes are labeled  $x$ ,  $y$ , and  $z$ , and the function value  $f$  is indicated by the height of the surface.

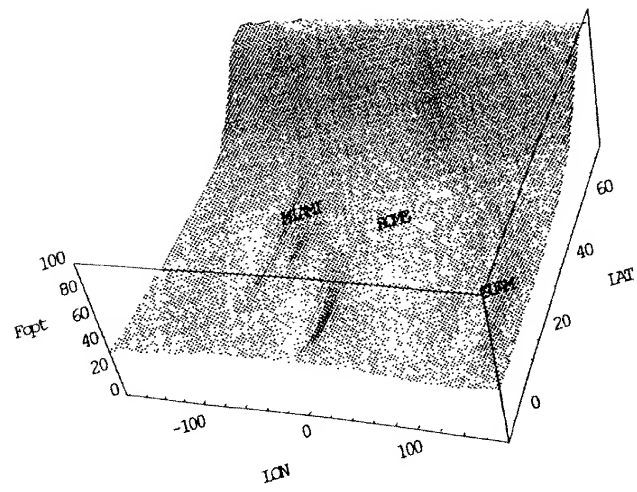


Fig. 22

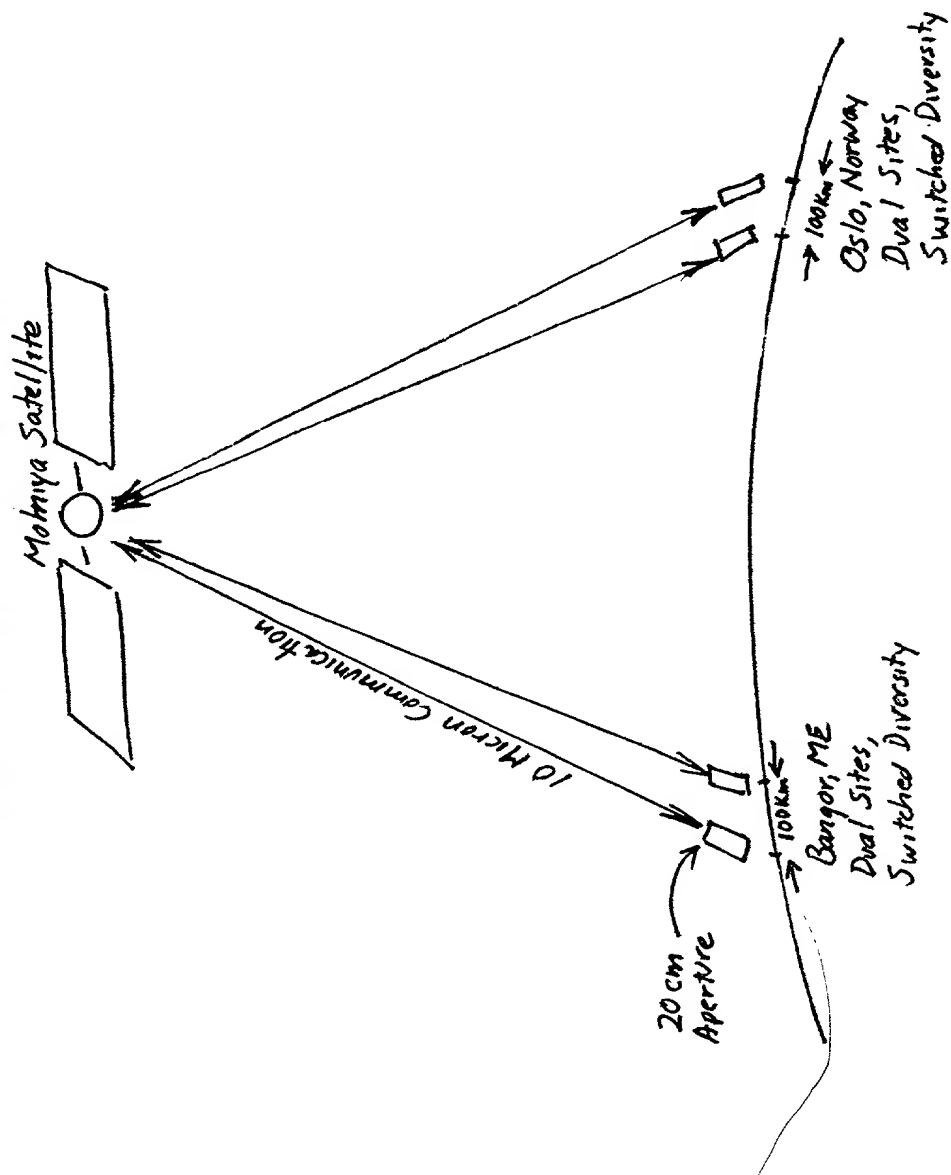


Fig. 23

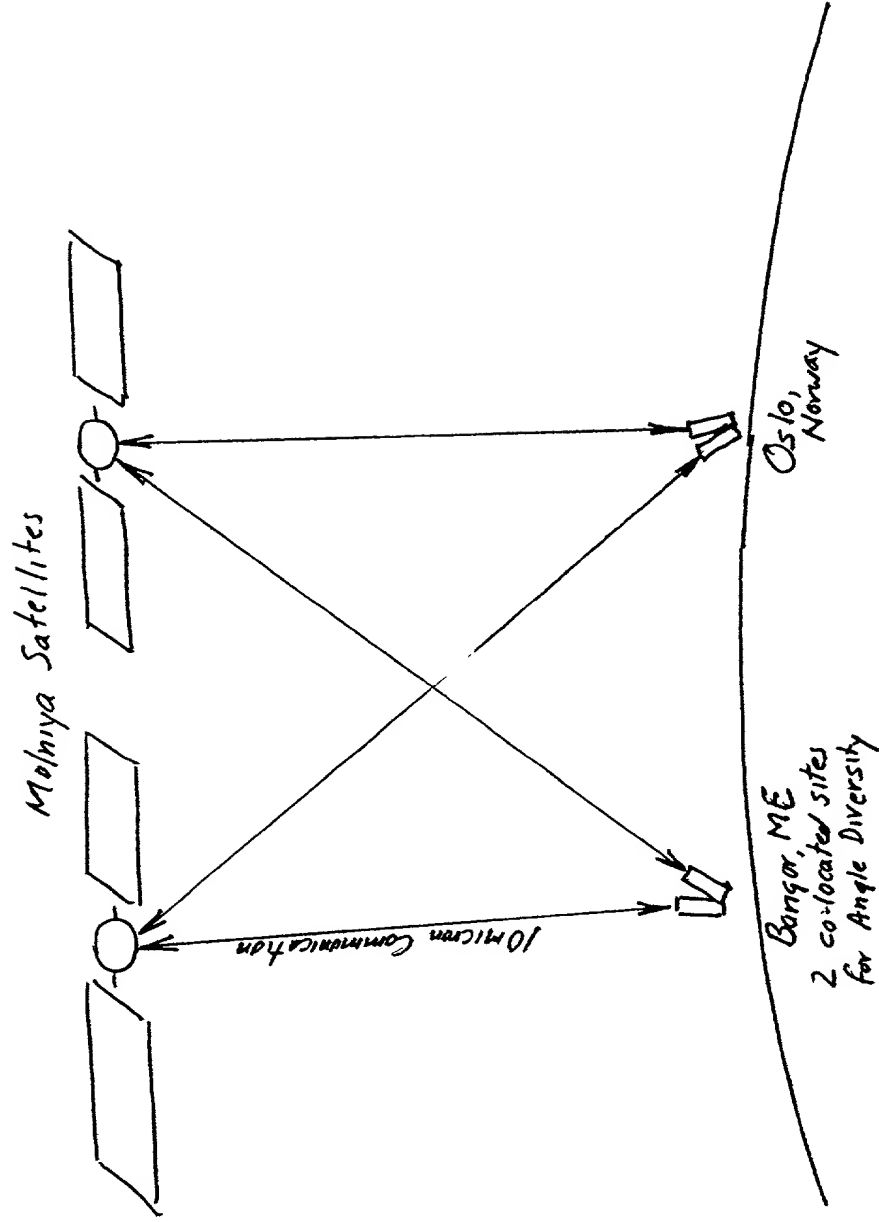


Fig. 24